

DIGITAL MATCHING OF SPOT STEREO IMAGES
BY FINITE ELEMENTS LEAST SQUARE TECHNIQUES

Xiao Jianzhong
Liu Jinyu
Zhengzhou Institute of Surveying and Mapping
59, West Longhai Road, Zhengzhou, Henan, China
Chu Liangcai
Research Institute of Surveying and Mapping
16, Beitaping Road, Beijing, China

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[ABSTRACT] There are no epipolar lines exist in SPOT stereo images and one-dimensional matching is unfeasible. An improved multipoint matching method is proposed, which does not require preliminary resampling along epipolar lines. The x and y parallaxes of grid points connected by bilinear elements are computed simultaneously from image data using the least square techniques. Constraints, such as continuity of the first derivatives of x and y parallaxes, are produced as fictitious observations. Based on the new method, a scheme of generating parallax grid is presented. Some preprocessing measures are also discussed. An experiment is conducted using a SPOT stereo pair of some place of china. Based on the analysis of experiment results the conclusions are also given.

1. INTRODUCTION

SPOT has been successfully launched in February 1986 and since that time stereo pairs are available on request. This presents a challenge to photogrammetrist: how to best utilize the data for map compilation in a rapid and efficient manner. There are two possible approaches: the first is to use the SPOT images in an analytical instruments with modified software to produce digital elevation models, orthophotos or line maps ([1],[2]). The second is to develop a new system which will handle the digital data directly([4]). Due to the data nature the digital image processing techniques seems to be most adequate for most users. And further more, the digital data have several important additional advantages: images can be enhanced, map compilation can take place from classified images, automated matching and feature extraction can take place, and very fast speed can be obtained([4]).

However, SPOT images are different from aerial photographs in many ways. SPOT images are acquired using a linear CCD array in a pushbroom mode and its stereo images are taken by sidelookings. Thus a pair of SPOT images does not have corresponding epipolar lines. The concept of epipolar lines are difficult to apply to SPOT images, as there is no single base line around which to rotate an epipolar plane. In fact, there exist no straight epipolar lines and one dimensional matching is unfeasible if the digital elevation model doesn't exist prior to the processing.

In this paper an improved multipoint matching, namely "Finite Elements Matching by Least Square techniques (FEMALS)", is presented. the method does not require preliminary resampling along epipolar lines. The x and y parallaxes of grid points

connected by bilinear elements are computed simultaneously from image data using the least square techniques.

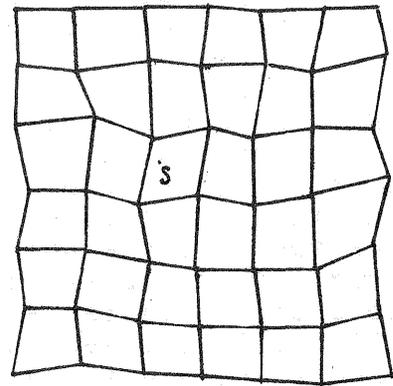
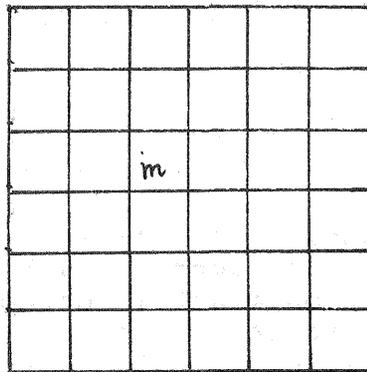
2. PRVIOUS WORK

In 1982, Forstner presented a paper called "On the Geometric Precision of Digital Correlation" [3], in which a method for gray level matching of images based on the least square method was introduced. From then on this method is investigated and developed in many countries in the world, and very high accuracy is obtained. But in the areas of bad image texture or large radiometric differences between the images, it is often impossible to obtain any result by use of least square matching. A multipoint matching method was developed by Rosenholm [6]. Using this method, it is possible to bridge areas with low signal content, and to compute the x parallaxes of the grid point connected by bilinear finite elements [6].

Rosenholm has reported his experiment results, the accuracy of x parallax calculated with his method was higher than $11\mu\text{m}$ of root mean square deviation between manual measurements of check point and matchings ([8]).

3. ALGORITHM FOR FINITE ELEMENTS MATCHING BY LEAST SQUARE TECHNIQUES

Due to the fact that there are no epipolar lines exist in SPOT stereo images, one-dimensional matching methods are discarded. Based on the multipoint matching method [6], an improved method, namely the "Finite Elements Matching by Least Square Techniques (FEMALS)", is presented. The main idea of the FEMALS



(1) Left grid points (2) Right grid points

Figure 1

is similar to the multipoint matching method except that both x and y parallaxes of grid point are used as unknowns. Without resampling along epipolar lines the improved method can compute x and y parallaxes of grid point simultaneously, which are connected with bilinear finite elements (figure 1).

The radiometric transformation is formulated by

$$g_m(x_m, y_m) - n_m(x_m, y_m) = \gamma_1 [g_s(x_s, y_s) - n_s(x_s, y_s)] + \gamma_2 \quad \dots \dots (1)$$

where m stands for mask, s stands for search, (x_m, y_m) and (x_s, y_s) are coordinates of arbitrary corresponding point m and s respectively, n stands for noise, g stands for gray level. If $P_x(i, j)$ and $P_y(i, j)$ represent the unknown x and y parallax of a grid point (i, j) respectively. As it is assumed that the parallaxes of grid points are connected with bilinear finite elements, the coordinates of the corresponding point of arbitrary non-grid image point (x_m, y_m) can be formulated by following expressions:

$$\left\{ \begin{aligned} x_s &= x_m + \left\{ p_x(i, j) \cdot (x_{i+1} - x_m) \cdot (y_{j+1} - y_m) + p_x(i+1, j) \cdot (x_m - x_i) \cdot (y_{j+1} - y_m) + \right. \\ &\quad \left. + p_x(i+1, j+1) \cdot (x_m - x_i) \cdot (y_m - y_j) + p_x(i, j+1) \cdot (x_{i+1} - x_m) \cdot (y_m - y_j) \right\} \\ &\quad / [(x_{i+1} - x_i) \cdot (y_{j+1} - y_j)] \dots\dots\dots (2) \\ y_s &= y_m + \left\{ p_y(i, j) \cdot (x_{i+1} - x_m) \cdot (y_{j+1} - y_m) + p_y(i+1, j) \cdot (x_m - x_i) \cdot (y_{j+1} - y_m) + \right. \\ &\quad \left. + p_y(i+1, j+1) \cdot (x_m - x_i) \cdot (y_m - y_j) + p_y(i, j+1) \cdot (x_{i+1} - x_m) \cdot (y_m - y_j) \right\} \\ &\quad / [(x_{i+1} - x_i) \cdot (y_{j+1} - y_j)] \end{aligned} \right.$$

We can now formulate the observation equation as

$$V(x_m, y_m) = g_s^0(x_s, y_s) \cdot \Delta Y_1 + \Delta Y_2 + \sum_{k=1}^4 (Y_1^0 \cdot g_x \cdot C_k \cdot \Delta p_{xk} + Y_2^0 \cdot g_y \cdot C_k \cdot \Delta p_{yk}) - g_m(x_m, y_m) + Y_1^0 \cdot g_s^0(x_s, y_s) + Y_2^0 \dots\dots\dots (3)$$

Where

$$\left\{ \begin{aligned} C_1 &= (x_{i+1} - x_m) \cdot (y_{j+1} - y_m) / [(x_{i+1} - x_i) \cdot (y_{j+1} - y_j)] \\ C_2 &= (x_m - x_i) \cdot (y_{j+1} - y_m) / [(x_{i+1} - x_i) \cdot (y_{j+1} - y_j)] \\ C_3 &= (x_m - x_i) \cdot (y_m - y_j) / [(x_{i+1} - x_i) \cdot (y_{j+1} - y_j)] \\ C_4 &= (x_{i+1} - x_m) \cdot (y_m - y_j) / [(x_{i+1} - x_i) \cdot (y_{j+1} - y_j)] \end{aligned} \right. \dots\dots\dots (4)$$

$\Delta Y_1, \Delta Y_2$ and $\Delta p_{xk}, \Delta p_{yk}, k=1, 2, 3, 4$ are the corrections to the unknown radiometric parameters and parallaxes. $g_s(x_s, y_s)$ is computed by bilinear interpolation.

and

$$\left\{ \begin{aligned} g_x &= \partial g_s^0(x_s, y_s) / \partial x_s \\ g_y &= \partial g_s^0(x_s, y_s) / \partial y_s \end{aligned} \right. \dots\dots\dots (5)$$

these are approximated with:

$$\left\{ \begin{aligned} Y_1^0 \cdot g_x &\approx [g_m(x_{m+1}, y_m) - g_m(x_{m-1}, y_m)] / 2 \\ Y_2^0 \cdot g_y &\approx [g_m(x_m, y_{m+1}) - g_m(x_m, y_{m-1})] / 2 \end{aligned} \right. \dots\dots\dots (6)$$

Considering the continuity of the terrain, the continuity of first derivative of parallaxes is used as additional constraints. As a consequence, the connections between the points will be strengthened, especially when the areas of low signal content have to be stabilized. The corresponding observation equations for grid point (i, j) are expressed as:

$$\left\{ \begin{aligned} V_x(i, j) &= 2 \cdot \Delta p_x(i, j) - \Delta p_x(i-1, j) - \Delta p_x(i+1, j) - [p_x^0(i-1, j) + p_x^0(i+1, j) - 2 p_x^0(i, j)] \\ V_y(i, j) &= 2 \cdot \Delta p_y(i, j) - \Delta p_y(i, j-1) - \Delta p_y(i, j+1) - [p_y^0(i, j-1) + p_y^0(i, j+1) - 2 p_y^0(i, j)] \end{aligned} \right. \dots\dots\dots (7)$$

The equations are analogous in another direction. For simplicity, all kind of fictitious observations are treated as uncorrelated and equal weighed, and the weight is represented with WX . Moreover, the two fictitious observations for the two radiometric parameters are also formulated as:

$$\left\{ \begin{aligned} V_{Y_1} &= \Delta Y_1 + Y_1^0 - 1 \\ V_{Y_2} &= \Delta Y_2 + Y_2^0 \end{aligned} \right. \dots\dots\dots (8)$$

the weights of these two observations are represented as $WR1$ and $WR2$.

Solving this system by the least square method, a banded-bordered matrix will be obtained. It should be noticed that the structure of the normal equation system is not affected by the two kinds of additional observations.

4. TEST DESCRIPTION

4.1 Image Data

A pair of SPOT stereo image(PS) covering some place of south China was used for experiment. The left image, a vertical one,

taken at the end of Sept. 1986, the right image, $18^{\circ}6'$ inclined, taken at the middle of Dec. 1986. Both images are '1A products'. The stereo pair had a rather poor base/height ratio, i.e. 0.38. The histograms of two images are shown in figure 2. It was found

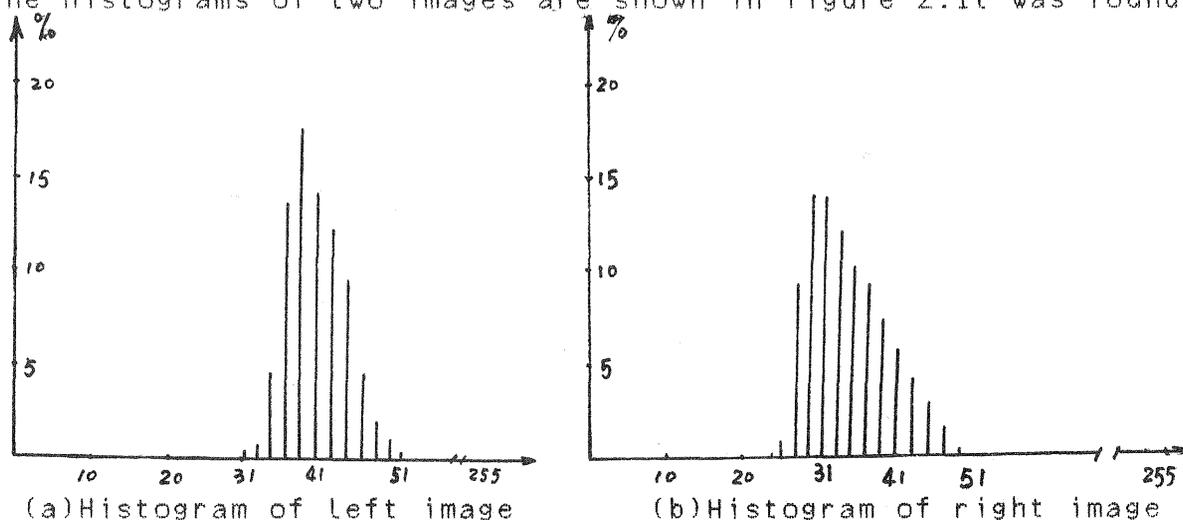


Figure 2

that there are unregular horizontal and vertical noise lines in left image, this coincides with the description in [7].

4.2 Experimental Programs and Some Defaults

A basic experiment program MPLSMG and its modifications were developed and tested in FORTRAN 77. Several auxiliary programs were also developed. Some characteristics of the programs are:

- (1) The resampling of gray values is based on bilinear function.
- (2) the convergence criteria are selected as: 0.08 pixels for x and y parallaxes, 0.009 for multiplicative parameter and 1.0 for additive parameter of radiometric transformation.
- (3) When the maximum number of iterations was reached (usually 20), the iteration procedure stop automatically.

Some Defaults:

If it is not special mentioned, the following methods and parameters are used as defaults.

- (1) Two radiometric parameters are used, and the normal matrix is recomputed in each iteration.
- (2) The grid space is 6 pixels, and 11×11 grid points are used as a matching block.
- (3) The derivatives of gray values are computed from two neighbouring pixels on left image with the exception of the edge rows and columns, where only one neighbouring pixel is used.
- (4) the approximate values of grid point parallax are computed by mapping method, which will be explained later.
- (5) Right image is rectified to the vertical position by rotating $18^{\circ}6'$ which is read from SPOT CCT tape.

5. EXPERIMENT RESULTS AND DISCUSSIONS

5.1 Some comments on the accuracy and reliability

For estimation of accuracy and reliability of automatic parallax determination by using FEMALS, totally 108 regular grid points (grid space equal to 12 pixels) were manually measured on Planicom 120. Due to the bad quality of left image, the accuracy

of parallax measured is not high, the difference of two measurements of the same point differs among 0.1 to 2.0 pixels.

5.2 Weight Determination for Fictitious Observations

Weight of continuity constraints are crucial for the FEMALS.

If it is too small the matching will not converge and the results are totally wrong. If it is too big the accuracy and reliability will be affected. The weights 100, 250 and 400 were tested. The results were tested. The results are shown in table 1. It can be observed that: With weight becoming larger, (1) the number of iterations and RMS of y parallax decrease slightly. (2) RMS and reliability of x parallax increase slightly. (3) rate of correlation coefficient which lower than two thresholds increase slightly.

Weight	$W_x=100$ $WR1=0$ $WR2=130$	$W_x=250$ $WR1=0$ $WR2=130$	$W_x=400$ $WR1=0$ $WR2=130$	
Number of iteration per block	11.8	10.0	9.0	
σ_0 (gray level)	2.2	2.3	2.4	
Rate of $p < 0.50$	20.0%	20.0%	23.1%	
Rate of $p < 0.60$	40.5%	42.4%	45.9%	
RMS of $P_x (\mu m)$	14.5	14.9	15.4	
RMS of $P_y (\mu m)$	7.0	6.3	6.1	
Reliability	r_{lyx}	80.6%	81.2%	79.0%
	r_{lyy}	85.2%	88.0%	88.6%
	r_{lyxy}	76.9%	77.5%	76.9%

Table 1

The weight for fictitious observations of two radiometric parameters were also tested, the results are shown in table 2. From table 2: (1) Comparing the first column with third one and second with fourth where $WR2$ is the same, $WR1$ seems have no effect on the matching and $WR2$ influences the results considering the accuracy and reliability. (1) Comparing these two groups the case of $WR2$ equaling 130 is better than the other one.

Weight	$W_x=250$ $WR1=0$ $WR2=130$	$W_x=250$ $WR1=0$ $WR2=0$	$W_x=250$ $WR1=130$ $WR2=130$	$W_x=250$ $WR1=130$ $WR2=0$	
Number of iteration per block	10.0	11.0	10.0	11.0	
σ_0 (gray level)	2.3	2.0	2.3	2.0	
Rate of $p < 0.50$	20.0%	23.8%	20.0%	23.8%	
Rate of $p < 0.60$	42.4%	46.9%	42.4%	46.9%	
RMS of $P_x (\mu m)$	14.9	15.1	14.9	15.1	
RMS of $P_y (\mu m)$	6.3	7.3	6.3	7.3	
Reliability	r_{lyx}	81.2%	79.6%	81.2%	79.6%
	r_{lyy}	88.0%	83.3%	88.0%	83.0%
	r_{lyxy}	77.5%	75.3%	77.5%	75.6%

Table 2

5.3 Selection of Radiometric Parameter

From equation (3) it can be observed that: all the corrections of coefficients except $\Delta \gamma_1$ do not change between the iterations. And if the multiplicative parameter is not considered in the FEMALS, all elements of design matrix will not change between iterations. This means that the matching can be speeded up many times. But what about the accuracy and reliability of the

two alternatives? Table 3 gives the comparative results with linear and additive radiometric parameters. It is obvious that use of additive parameter has almost the same accuracy and reliability as linear

Weight	$W_x=250, W_{R1}=0, W_{R2}=130$		
	GS=6	GS=3	
Grid Space	GS=6	GS=3	
Number of iteration per block	10.0	11.1	
σ_0 (gray level)	2.3	2.3	
Rate of $p < 0.50$	20.0%	22.6%	
Rate of $p < 0.60$	29.5%	30.8%	
RMS of P_x (μm)	14.9	30.8	
RMS of P_y (μm)	6.3	6.0	
Reliability	r_{lyx}	81.2%	29.7%
	r_{lyy}	88.0%	78.1%
	r_{lyxy}	77.9%	25.8%

Weight	$W_x=250, W_{R1}=0, W_{R2}=130$		
	Radiometric parameters		
	α -Linear	Additive	
Number of iteration per block	10.0	10.3	
σ_0 (gray level)	2.3	2.6	
Rate of $p < 0.50$	20.0%	20.6%	
Rate of $p < 0.60$	42.5%	43.4%	
RMS of P_x (μm)	14.9	15.1	
RMS of P_y (μm)	6.3	6.2	
Reliability	r_{lyx}	81.2%	79.6%
	r_{lyy}	88.0%	90.1%
	r_{lyxy}	77.5%	76.2%
CPU time per point (seconds)	6.9	0.88	

Table 4 parameters, but the CPU time can be saved dramatically.

table 3

5.4 The Effects of Different Grid Spaces

In FEMALS each grid except the border ones uses the information provided by it surrounding $(GS-1)^2$ pixels (GS is the number of pixels between two grid points). So it seems that large GS will benefit the matching, but on the other hand because the grid points are connected with bilinear finite elements, the less GS will benefit the interpolation (in return that also benefits the matching). These two aspects are conflicting. Therefore it is necessary to test the effects of grid space on the matching. Table 4 gives the test results, it is fairly clear that the results of GS equaling 3 pixels decreases greatly the accuracy and reliability. This is due to the fact that the information provided to each grid point with GS=3 pixels is too little to match. When using GS=9 pixels as grid space, the matching system can't convergent at all, and the results are unacceptable. From table 5, GS=6 pixels seems to be suitable selection.

5.5 The Effects of Data Snooping

In FEMALS there great number of redundancy, this provides a possibility of using Data Snooping to exclude pixels with big gray level difference [6].

Experiments show that with 3.0 and 4.0 as criterion respectively, Data Snooping benefits the y parallax slightly but has a contrary effects on the x parallax and parallax in radial direction.

5.6 The Effects of Image Preprocessing

5.6.1 The Effects on Rectification

Most SPOT stereo images are obtained by sidelookings. For the

similarity, the inclined image has to be rectified. In this experiment we just rectified the image by rotating the image to the horizontal position, the rotating angle is read from SPOT CCT tape. The mathematic model used is (figure 3)

$$x' = f \cdot \tan\left[w + \tan^{-1}\left(\frac{x}{f}\right)\right] \quad \text{----- (9)}$$

where w is the sidelooking angle, f is the focal distance, x and x' is the coordinate of inclined and horizontal images respectively. The indirect method was adopted, gray level resampling is realized by linear interpolation.

Weight	$W_x=250$ $WR_1=0$ $WR_2=130$	
Rectification	Yes	NO
Number of iteration per block	10.0	9.3
σ_0 (gray level)	2.3	3.0
Rate of $p < 0.50$	20.0%	27.3%
Rate of $p < 0.60$	42.4%	54.3%

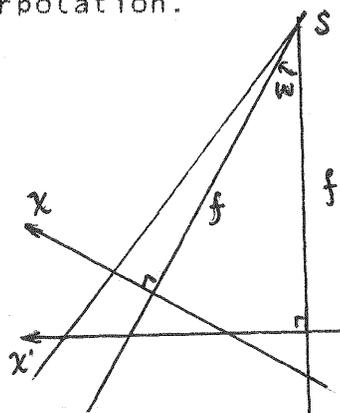


Table 5

Figure 3

The results of test are shown in table 5. It is clear from the table that the results of rectified image are much better than inclined one.

5.6.2 The Effects of Gray Level Preprocessing

Weight	$W_x=250$ $WR_1=0$ $WR_2=130$					
	Preprocessing Method					
	Original	Median	Average	Nor.-Median	Nor.-Average	
Number of iteration per block	10.0	8.3	7.8	16.0	12.5	
σ_0 (gray level)	2.3	1.95	1.91	17.2	9.37	
Rate of $p < 0.50$	20.0%	21.3%	21.3%	26.4%	25.6%	
Rate of $p < 0.60$	42.4%	43.4%	43.8%	44.8%	44.0%	
RMS of p_x (μm)	14.9	15.5	15.4	17.3	16.8	
RMS of p_y (μm)	6.3	7.2	7.0	12.5	11.3	
Reliability	r_{lyx}	81.2%	78.1%	79.3%	76.2%	77.2%
	r_{lyy}	88.0%	83.3%	84.6%	69.4%	73.8%
	r_{lyxy}	77.5%	74.4%	74.7%	66.7%	69.8%

Table 6

The following prerprocessings are investigated:

- (1) Filtering the original images with 3×3 moving median filter
- (2) Filter the original images by moving average filtering

with a plate

$\frac{1}{10}$	$\frac{1}{10}$	$\frac{1}{10}$
$\frac{1}{10}$	$\frac{2}{10}$	$\frac{1}{10}$
$\frac{1}{10}$	$\frac{1}{10}$	$\frac{1}{10}$

(3) First, enhanced the original images by histogram normalization (mean gray level equals to 110, standard error equals to 35) and then filter the enhanced images by method(1)

(4) Enhance the original images by the method as described in method(3), and then filter the enhanced images by method(2)

The results of the four experiments are shown in table 6. It is observed that:

(1) Median filtering and moving average filtering can speed up convergence, but decrease the precision and reliability slightly. This is due to the fact that original images have very narrow gray level extent, and mainly condensed in the field of low frequency.

(2) Although video effect can be greatly improved by histogram normalization, but the later two methods have only negative effects on the matching. This is due to the fact that image enhancements enlarge the noise in some extent.

6. SCHEME FOR AUTOMATIC GENERATING PARALLAX GRID AND FIRST RESULTS

6.1 Scheme for Automatic Generating Parallax Grid

One of the most important applications of matching is automatic generation of DEM. Based on the FEMALS, a scheme for generating parallax grid is proposed.

As shown in figure , the parallaxes of grid points in a large area are automatically measured by the FEMALS one block after another, and each matching block has two lines or columns overlap with previous blocks.

Similar to Least Square Matching Method, The FEMALS also needs accurate approximate values, so prediction of approximate values is important for this scheme. The following two ways of prediction are adopted:

(1) Simple Extrapolation Prediction

When the first block is matched, the approximate parallaxes of grid points were given by the parallaxes of a distinctive point that were given by manually method. Usually this distinctive point is the center point in this block. Then, moving this matching block with a overlap of 2 lines or 2 columns, from left to right and from upper to down, and at the same time maintaining the continuity with previous matched grid points. When the number of iterations exceeded the pre-given threshold, the iteration is forced stopped and matching of next block is started.

(2) Mapping Method

Another alternative is mapping method. First step, several distinctive point pairs were selected on the display unit manually, then using correlation method these pairs were computed with subpixel accuracy. Second step, using the following mapping functions to register two local images:

$$\begin{cases} X_R = a_0 + a_1 X_L + a_2 Y_L + a_3 X_L^2 + a_4 X_L Y_L + a_5 Y_L^2 + a_6 X_L^3 + a_7 X_L^2 Y_L + a_8 Y_L^2 \cdot X_L + a_9 Y_L^3 \\ Y_R = b_0 + b_1 X_L + b_2 Y_L + b_3 X_L^2 + b_4 X_L Y_L + b_5 Y_L^2 \end{cases} \quad (10)$$

In this experiment 15 point pairs were used to solve the coefficients of mapping function. Third step: Using mapping function, the parallaxes of grid points can be computed with the accuracy of 2 pixels, then matching the stereo pair with the way as first method except the computation of approximate parallaxes.

The results of experiments are shown in table 7. It can be seen that: with mapping method the average number of iterations obviously smaller than that of simple extrapolation prediction. In the respect of accuracy and reliability results of mapping method are fairly better than another one. In practical applications, we can use automatic method to locate original corresponding point pairs for purpose of the realization of

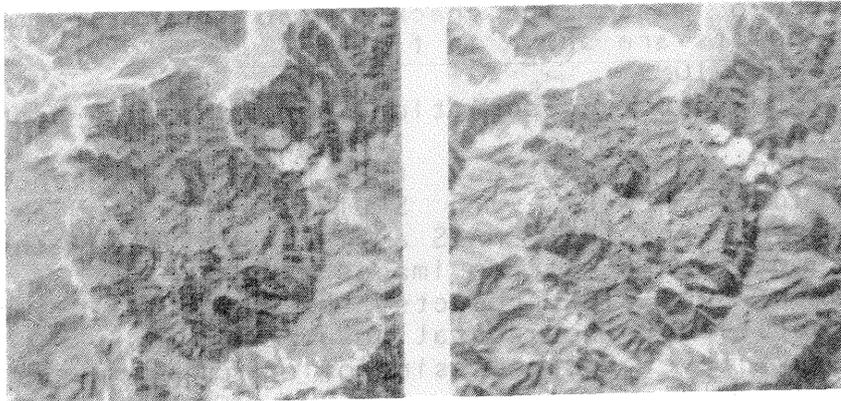


Figure 4 SPOT stereo pair

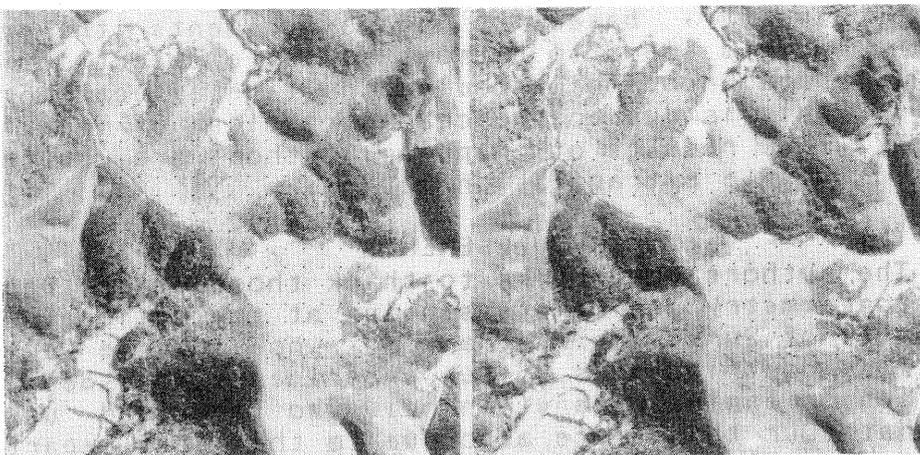


Figure 5 air photo stereo pair
 fully automatic measurement of parallax. Two ways of automatic method of locating corresponding point pairs are possible: one is the methods used in automatic registration of remote sensed images[9]; the other is recently developed namely "Feature based Corresponding Algorithm for Image Matching"[10].

The mapping method is also tested with aerial stereo images and

Weight	$W_x=250$ $WR_1=0$ $WR_2=130$		
Method	Mapping	Prediction	
Number of iteration per block	10.0	15.3	
σ (gray level)	2.3	2.3	
Rate of $\rho < 0.50$	20.0%	23.6%	
Rate of $\rho < 0.60$	42.4%	44.4%	
RMS of P_x (μm)	14.9	16.3	
RMS of P_y (μm)	6.3	6.5	
Reliability	r_{yx}	81.2%	77.5%
	r_{ly}	88.0%	87.0%
	r_{lyx}	77.9%	73.8%

Table 7

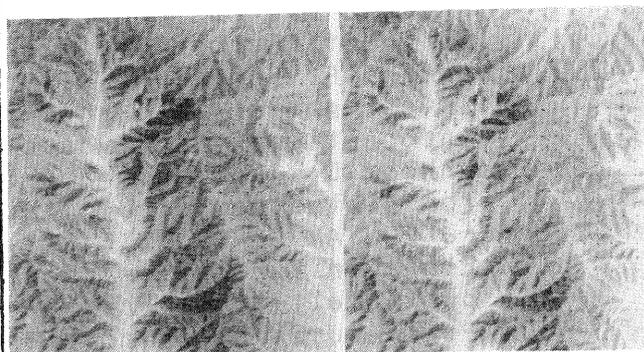


Figure 6 TM stereo images

TM stereo images. The check stereo images with corresponding grid points are shown in figure 4 . 5 . 6.

7. CONCLUSIONS

From the above description, the following conclusions may be drawn.

- (1) The results show that the method of generating parallax grid by FEMALS with SPOT stereo images is feasible and correct. And the FEMALS also can be used with other kind of remote sensing stereo images such as TM.
- (2) With SPOT 1A products the inclined image should be rectified to horizontal position.
- (3) Gray level preprocessing of original images do not improve the matching results.
- (4) Considering the speed and accuracy, the additive radiometric parameter should be used instead of two-parameter.
- (5) The different selection of grid space influence the FEMALS greatly, based on the experiments the grid space of 6 pixels seems to be most suitable selection.
- (6) Data Snooping method has negative effects on the the results. this is due to the characteristics of low frequent of SPOT.
- (7) The results of mapping method are better than tha of simple extrapolation method.

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